### The University of Texas at Arlington

# Talking Points - 4 Analog Signals



CSE 3323 – Electronics for Computer Engineers
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With images taken from from wikipedia



### The dB Scale

- Relative scale to measure anything against anything
- Logarithmic
  - Meaning of zero, 1, 10, 20, infinity
  - Why? (for large dynamic ranges)
- Usually used to measure power amplification or attenuation
  - · Amplification and attenuation is relative
  - $P[dB] = 10*log_{10}(P_{out}/P_{in})$
- As we are usually dealing with signals represented by voltage (not power):
  - $V [dB] = 20*log_{10}(V_{out}/V_{in})$



## Signals Represented by Voltages

- · Mostly what we are interested in
- Analog vs. digital
- "virtual" signal source: has an output impedance



### **Time vs. Frequency Domain**

- We think of signals as a changing value in time.
- At any small time window, the signal in the window can be represented as the superposition of many different sine waves with various frequencies and phases.
- For that time window we could show at what amplitude each of the frequencies is represented at (and at what phase on an other).
- This show the momentary (in the window) frequency components present in the signal.
- If the signal is periodic, we can take a window that represents it's base period and thus describe the entire signal (momentarity does not matter) in the same frequency domain graph.



### **Fourier**

- A periodic(!) signal can be "easily" converted into all of its component frequencies (sine waves with phases) mathematically.
- The transformation is called: Fourier transformation. (inverse also exist)
- In general, the steeper of a change there is in the signal, the higher frequencies we are going to need to represent them.

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### Fourier of Sine, Square, Triangle

 Most periodic functions can be looked up in reference materials.



### Non-periodic signals

- In many cases, periodic signals are uninteresting.
- In a small time window we can still ask the question: what frequency components (and with what phase) are present.
- This is the temporal spectrum of the signal
- Most signals have an upper limit (of interest), sometimes a lower limit of interest.

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#### **Filters**

- In many cases we do want to make sure that signals do not contain frequencies above, below, or both some threshold frequencies.
  - E.g., Shannon-Nyquist sampling theorem
- · Optimal filters
- · low-pass or high-cut filter
- · High-pass or low-cut filter
- Band-pass filter
- · Band-cut filter



### **Low-pass Filter**

- Only want to let low frequencies through
- Can be realized with a simple RC circuit
  - (Xc is falling with a raised frequency)
- $\tau = R^*C$ ;  $\omega_0 = 1/(R^*C)$ ;  $f_0 = 1/(2^*\pi^*R^*C)$
- Complex representation
  - · Magnitude and phase
  - 20dB/decade fall; -3dB point
- How about RL?

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### **High-pass Filter**

- We want to cut low frequencies from the signal
- Swapping components of an RC low pass filter
- Similar characteristics (but swapped)



## Band-pass and Band-Cut Filters

- Can be built by combining low and high pass filters
- Can be problematic as impedances do not easily add up
- RLC filters

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### **Multistage Filters**

- As RC filters are far from optimal, we may cascade several RC, (and L) filters after each other
  - Problem is that they interact with each other
  - Complex transfer function can be a pain to obtain and analyze
  - Even that helps little as we want to do synthesis not analysis
  - Doable, but leave it to EE-s.
  - There are programs that can be used



# AMPLIFICATION AND "IMPEDANCE LIBERATION"

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### **Amplification**

- Amplifying analog signals requires negative resistance
  - Cannot be done with passive components
- In order to amplify a signal we need active circuits, i.e., we need external power.
- Signal's D.C. level and domain is important
  - We can always get rid of "all" D.C. with coupling capacitors
- Transistors (including FETs) exhibit linear regions where amplification is possible (LitEE)



### **Opamps to the Rescue**

- Opamps are multi-transistor concoctions, their design is litEE.
- Opamp symbol
- http://en.wikipedia.org/wiki/Operational amplifier applications
- Differential input, single output, works like a comparator due to infinite amplification
- Needs to be powered (not always seen on schematics)
- With no feedback output rests at one of the supply levels
- · Theoretical vs. real
  - · Power, rail-to-rail, amplification, impedance, etc.

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### **Voltage Follower**

- Simplest Opamp circuit (except comparator)
- Schematic



- · Why use and how does it work?
- $V_{out}=V_{in}$ ;  $Z_{out}=0$ ;  $Z_{in}=\infty$
- Perfect for cutting "impedance domains"
- Use a lot of them in prototyping, in production the analog state redesign is LiTEE
- Pay attention to operational voltages!



### **Fixed Voltage (Voltage Source)**

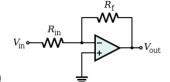
- Use a resistive divider (Or diode based voltage source) followed by a "follower"
- Creates a fixed voltage source (current drawn will not influence voltage)
- Great to create half voltages if powering opamp from a single power source

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### **Inverting Amplifier**

- Schematic
- $V_{out} = -V_{in} * R_f / R_{in}$
- IT INVERTS! (180deg)

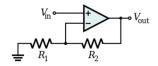


- Amplification can be anything from 0 to infinity (theoretically)
- · However:
  - $Z_{in} = R_{in}$



## **Non-inverting Amplifier**

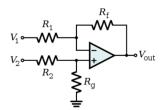
- Schematic
- $V_{out} = V_{in} * (1 + R_2/R_1)$ 
  - (non linear in R<sub>2</sub>)
- However:
  - Z<sub>in</sub> = ∞



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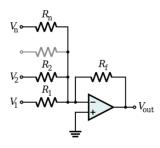


### **Difference Amplifier**





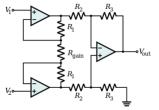
# **Summing Amplifier**



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# **Instrumentation Amplifier**





## **And Many More...**

- Integrator
- Differentiator
- Precision rectifier (for instruments)
- Oscillators
- Inductance gyrator (for creating synthetic inductors)
- Logarithmic output
- Exponential output
- A/D, D/A converters
- etc.