

Numpy Basics

CSE 4311 – Neural Networks and Deep Learning
Vassilis Athitsos
Computer Science and Engineering Department
University of Texas at Arlington

The numpy Library

- The numpy library implements various functions useful in mathematics, statistics, science and engineering.
- On Google Colab (and on Anaconda) it is available, you just need to import it.

```
import numpy as np
```

- Files `numpy_examples.py` and `numpy_benchmarks.py` are posted on the material for this lecture. They contain the code that you will see in the next slides.

Creating Arrays

- Creating an 1-dimensional array of ints from a list:

```
array_1d = np.array([10, 5, 2, 4])  
print("array_1d:", array_1d)  
print("array_1d data_type:", array_1d.dtype)  
print("array_1d shape:", array_1d.shape)
```

Output:

```
array_1d: [10  5  2  4]  
array_1d data_type: int64  
array_1d shape: (4,)
```

Creating Arrays

- Creating a 2-dimensional array of floats from a list:

```
array_2d = np.array([[1,2,3], [4,5,6]], dtype='float')
print("array_2d:\n", array_2d, "\n")
print("array_2d data_type:", array_2d.dtype)
print("array_2d shape:", array_2d.shape)
```

Output:

```
array_2d:
[[1.  2.  3.]
 [4.  5.  6.]]

array_2d data_type: float64
array_2d shape: (2, 3)
```

Creating Arrays

- Creating a zero-initialized array of a specified shape:

```
array_2d = np.zeros((3,4))  
print("array_2d:\n", array_2d, "\n")  
print("array_2d data_type:", array_2d.dtype)  
print("array_2d shape:", array_2d.shape)
```

Output:

```
array_2d:  
[[0. 0. 0. 0.]  
 [0. 0. 0. 0.]  
 [0. 0. 0. 0.]  
  
array_2d data_type: float64  
array_2d shape: (3, 4)
```

Creating Arrays

- Creating a 2D array of random values uniformly distributed between 0 and 1:

```
(rows, cols) = (3, 4)
random_values = np.random.rand(rows, cols)
print("random_values:\n", random_values, "\n")
print("random_values data_type:", random_values.dtype)
print("random_values shape:", random_values.shape)
```

Output:

```
random_values:
[[0.63075311 0.21212589 0.88126268 0.22670053]
 [0.89718472 0.19447788 0.42529485 0.29785337]
 [0.38629528 0.04719182 0.59240337 0.72252642]]
```

```
random_values data_type: float64
random_values shape: (3, 4)
```

Formatted Printing of Arrays

- We use `numpy.set_printoptions`.
 - There are a lot of options, see documentation.
- Here, we specify to use four decimal digits.

```
np.set_printoptions(precision = 4)
print("random_values:\n", random_values*200, "\n")
```

Output:

```
random_values*200:
[[ 30.2748 124.8525  74.0704 196.1591]
 [143.4591 169.1471  79.427   7.814  ]
 [ 34.0032 181.9523  99.1757 15.1455]]
```

Formatted Printing of Arrays

- We use `numpy.set_printoptions`.
 - There are a lot of options, see documentation.
- Here we print each value using the printf-like `"%9.4f"` format.
 - 9 spaces minimum, 4 decimal digits.

```
np.set_printoptions(formatter={'all':lambda x: "%9.4f"% (x)})  
print("random_values*200:\n", random_values*200, "\n")
```

Output:

```
random_values*200:  
[[ 30.2748 124.8525  74.0704 196.1591]  
 [143.4591 169.1471  79.4270  7.8140]  
 [ 34.0032 181.9523  99.1757 15.1455]]
```

Means and Standard Deviations

- Compute mean and standard deviation of values in a matrix.
 - Notice use of "printf-style" formatting of output.

```
print("random_values mean value = %.4f, std = %.4f" %  
      (np.mean(random_values), np.std(random_values)))
```

Output:

```
random_values mean value = 0.4595, std = 0.2699
```

Operations along Specific Dimensions

- You can do many operations along a specific dimension
- Here we compute the mean of every row in the matrix.

```
row_means = np.mean(random_values, 1)  
print("row means:", row_means)
```

Output:

```
row means: [ 0.4877  0.4537  0.4371]
```

Operations along Specific Dimensions

- You can do many operations along a specific dimension
- Here we compute the mean of every column in the matrix.

```
col_means = np.mean(random_values, 0)  
print("col means:", col_means)
```

Output:

```
col means: [ 0.6381  0.1513  0.6330  0.4157]
```

Inverting a Matrix

- To invert a matrix, use `np.linalg.pinv`
 - `pinv` stands for “pseudoinverse”
 - Do not use `np.linalg.inv`, it is far more prone to numerical problems.

```
a = np.array([[2.1, 3.2], [1.6, 5.3]])
print("a:\n", a, "\n")
inv_a = np.linalg.pinv(a)
print("inverse of a:\n", inv_a, "\n")
```

Output:

```
a:
[[ 2.1000  3.2000]
 [ 1.6000  5.3000]]

inverse of a:
[[ 0.8819 -0.5324]
 [-0.2662  0.3494]]
```

Pointwise Multiplication

- Regrettably (for me), `a * b` in numpy does element-wise multiplication, and NOT matrix multiplication.
 - In the code below, for each `i` and `j`:

`r1[i,j] = a[i,j] * inv_a[i,j].`

```
r1 = a*inv_a  
print("r1:\n", r1, "\n")
```

Output:

```
r1:  
[[ 1.8519 -1.7038]  
[-0.4260 1.8519]]
```

Matrix Multiplication

- Use `np.dot` for matrix multiplication.

```
r2 = np.dot(a, inv_a)
print("r2:\n", r2, "\n")
```

Output:

```
r2:
[[ 1.0000  0.0000]
 [-0.0000  1.0000]]
```

Array Operations vs. Loops

- Array operations in numpy are optimized.
- For large arrays or matrices, using a built-in numpy operation can be as fast as in C.
- Writing your own code for those operations, using loops to access each element of the arrays and the result, can be hundreds of times slower.
- Two examples are illustrated in file `python_benchmarks.py`

Benchmark 1: Matrix Addition

```
# my function, adds two matrices element by element
# using loops.
def matrix_addition(first, second):
    (rows1, cols1) = first.shape
    result = np.zeros((rows1, cols1))

    for i in range(0, rows1):
        for j in range(0, cols1):
            result[i,j] = first[i,j] + second[i,j]

    return result
```

Benchmark 1: Matrix Addition

```
rows = 5000
cols = rows
A = np.random.rand(rows, cols)
B = np.random.rand(rows, cols)

# using my function with loops.
result = matrix_addition(A, B)

# using the numpy + operator
result = A + B
```

- My function took 18.59 seconds on Google Colab.
- The numpy version took 0.141 seconds (131 times faster).

Parenthesis: Measuring Time

- If you want to measure execution time, this example shows one way to do it:

```
import time
```

```
start_time = time.time_ns()
```

```
result = matrix_addition(A, B)
```

```
end_time = time.time_ns()
```

```
#print(result)
```

```
total_time = (end_time-start_time) / 1000000000
```

Benchmark 2: Matrix Multiplication

```
# My function, multiplies matrices using loops.
def matrix_multiplication(first, second):
    (rows1, cols1) = first.shape
    (rows2, cols2) = second.shape
    result = np.zeros((rows1, cols2))

    for i in range(0, rows1):
        for j in range(0, cols2):
            sum = 0
            for k in range(0, rows2):
                sum = sum + first[i,k]*second[k,j]
            result[i,j] = sum

    return result
```

Benchmark 2: Matrix Multiplication

```
rows = 500
cols = rows
A = np.random.rand(rows, cols)
B = np.random.rand(rows, cols)

# using my function with loops.
result = matrix_multiplication(A, B)

# using the np.dot function.
result = np.dot(A, B)
```

- My function took 55.68 seconds on Google Colab.
- The numpy version took 0.00958 seconds (5800 times faster).